

Fragility of Safe Asset Markets (T. Eisenbach and G. Phelan)

Agnese Leonello (ECB)

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Contribution

- ▶ Provides a framework to explain fragility in safe asset market
 - ▶ In the presence of a **constrained dealers' demand**, investors (e.g., MMFs) **preemptively** sold US Treasuries in the attempt to avoid to "**be the last in line**"
- ▶ Sheds light on unintended consequences of post GFC regulation
 - ▶ Non-risk weighted constraints, e.g., leverage ratio, make it more expensive for banks to engage in low-margin activities
- ▶ Shows an unexpected positive impact of "flight to safety" on market fragility
 - ▶ Timing of safety investors' demand is key, as well as inherent market fragility (**amplification effects**)

The Model: Main Ingredients

- ▶ Dealers buy safe assets from liquidity investors at two dates $t = 0, 1$
 - ▶ Prices are set by dealers competing à la Bertrand
 - ▶ Quantity sold q_t depends on realization of liquidity shock s and investors' strategic decisions λ
- ▶ Strategic complementarity in liquidity investors' sale decisions (akin to depositors' run)
 - ▶ Selling at $t = 0$ is optimal when $\pi(s, \lambda) > 0$, with

$$\pi(s, \lambda) = \underbrace{p_0(s, \lambda)}_{\substack{\text{payoff from selling} \\ \text{the safe asset at } t = 0}} - \underbrace{(sp_1(s, \lambda) + (1-s)v)}_{\substack{\text{payoff from holding} \\ \text{the safe asset until } t = 1}}$$

- ▶ $\pi(s, \lambda)$ varies with s and λ : direct effect plus indirect effect via prices \rightarrow crucial role of $-cq^2$ as it leads to $p_1 \downarrow$ when supply of safe assets \downarrow in $t = 1$

Price determination stage

- ▶ Three key elements:
 - ▶ Convex inventory costs; Bertrand competition; Trades executed sequentially
- ▶ Under the current setup

$$p_1 = 1 - cq_1 - 2cq_0 \text{ and } p_0 = 1 - cq_0$$

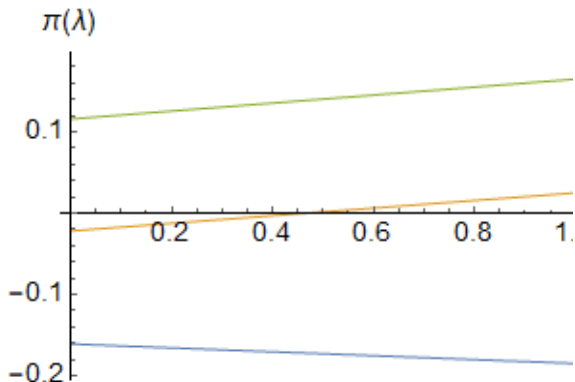
- ▶ Alternative scenario: Dealers choose $\{q_0, q_1\}$ so to maximize profits

$$p_1^A = 1 - 2cq_1 - 2cq_0 \text{ and } p_0^A = 1 - 2cq_0$$

- ▶ A change in q_0 has the same impact on prices p_t^A at $t = 0, 1$
- ▶ What does this implies for the strategic complementarity, is still $\pi'_\lambda(s, \lambda) > 0$?

Preemptively sale: Strategic complementarity and global games

- ▶ In this setup, global games are useful to pin down the probability of an equilibrium with preemptive sales
 - ▶ Investors receive an imperfect signal on s and based on this signal decide what to do



Translating into the bank run language

- ▶ For extreme values of s , investors have dominant strategies

Lower dominance		Intermediate			Upper dominance
no investors	 \underline{s}	investors	 s^*	 \bar{s}	all investors
sell assets due to low s — no sales		sell because of s and λ — "panic sales"			sell assets due to high s — "fundamental" sales

where \underline{s} solves $\pi(1, s) = 0$ and \bar{s} solves $\pi(0, s) = 0$ and s^* is the solution to

$$\int_0^1 \pi(\lambda, s) d\lambda = 0.$$

Properties of the payoff differential function

- ▶ For the global games, $\pi(\lambda, s)$ must be increasing in λ
 - ▶ In the paper, this is the case if s is sufficiently large $s > \tilde{s} = 0.27$. How does this compare to \underline{s} ?

$$\underline{s} = \frac{2(v-1) + c}{2(v-1 + 2c)}$$

- ▶ Maybe, there is a "cleaner" condition on v and c so that $\frac{\partial \pi(\lambda, s)}{\partial \lambda} > 0$ for any $s > \underline{s}$?

Sources of strategic complementarity

- ▶ In a bank run framework, sources of strategic complementarity are easily pinned down. Panic requires

$$\underbrace{L} < \underbrace{D \cdot r}$$

bank's resources demand of liquidity
at intermediate date by depositors

- ▶ When $L = Dr$, strategic complementarity disappears but not runs!
 - ▶ Fundamental (efficient) runs still occur
- ▶ What is the equivalent here? What is needed for $s^* \rightarrow \bar{s}$?
 - ▶ It could be useful to discuss/analyze interventions aimed at preventing fragility

Inefficient preemptive sales

- ▶ In the range $s > \bar{s}$ selling is a dominant action \bar{s} solves $\pi(0, s) = 0$
- ▶ How does s^{**} in the paper compares to \bar{s} ?
 - ▶ Is $s^{**} > \bar{s}$, so that only **some** fundamental sales are efficient?
- ▶ Efficiency is defined from a liquidity investor's perspective only
 - ▶ What about considering the fall of the price below the fundamental value v ?

Additional comments

- ▶ Run is often used as a substitute for preemptive sale: state clear the parallel at the beginning of the paper
- ▶ How much is the whole analysis about safe asset markets? What would be different if thinking about risky assets? Extra effects?
- ▶ The possible non-monotonicity of $\pi(\lambda, s)$ in λ hints to the one-sided strategic complementarity in GP(2005). Is it a concern? Does it affect the uniqueness of equilibrium?

Conclusions

- ▶ Very interesting paper providing a microfoundation for fragility in safe asset market in time of a crisis
 - ▶ Highlight the consequence of post GFC regulation (complementary to other studies, e.g., Breckenfelder and Ivashina, 2023)
- ▶ Delivers important policy implications about how to alleviate and prevent such episode
 - ▶ Key is to pin down sources of strategic complementarity
- ▶ Stylized framework, but appears to be even more broadly applicable (e.g., risky assets?)