Monetary policy and endogenous financial crises

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- Conventional view: central bank should focus on price stability
- Alternative (more recent) view: it should also promote financial stability
- Standard models of MP analysis ignore financial factors
- In their extensions with financial frictions, crises are modelled as exogenous extreme shocks
- $\Rightarrow\,$ Existing (NK) models are ill–equipped to study how MP affects financial stability/fragility

- Textbook NK augmented with:
 - 1. Endogenous capital accumulation and global solution \Rightarrow protracted investment booms
 - 2. Idiosyncratic productivity shocks \Rightarrow capital reallocation through credit markets
 - 3. Financial frictions \Rightarrow occasional credit market freezes
- \Rightarrow Tradeoff between (short run) price stability and (medium run) financial stability

- 1. Systematic response to output (\neq strict inflation targeting) improves welfare
- 2. Discretionary loose MP followed by abrupt reversal may lead to a crisis

- Central bank, households, monopolistic retailers are as in textbook NK model
- Intermediate goods firms invest in capital, hire labor, sell goods to retailers

- Firms are competitive, live one period, from the end of t-1 until the end of t
- End of t-1: identical, issue same equity, purchase same capital K_t
- Beginning of t: learn idiosyncratic productivity $\omega_t(j)$, hire $N_t(j)$, and adjust capital to $K_t(j)$

 $y_t(j) = A_t(\omega_t(j)K_t(j))^{\alpha}N_t(j)^{1-\alpha}$

• μ unproductive firms with $\omega_t(j) = 0$ and $1 - \mu$ productive firms with $\omega_t(j) = 1$

Bond market — No financial frictions

- Unproductive firm chooses K_t^u :
 - $\max_{K_t^u} \quad 0 \quad + (1-\delta)K_t^u (1+r_t^b)(K_t^u K_t)$
 - <u>Natural lender</u>: sells capital ($K_t^u K_t < 0$) and invests proceeds in bonds if $r_t^b \ge -\delta$
 - May buy capital and keep it idle if $r_t^b < -\delta$
- Productive firm chooses K_t^p and N_t^p :

•
$$\max_{K_t^p, N_t^p} \frac{P_t}{P_t} A_t K_t^{p^{\alpha}} N_t^{p^{1-\alpha}} - \frac{W_t}{P_t} N_t^p + (1-\delta) K_t^p - (1+r_t^b) (K_t^p - K_t)$$

- <u>Natural borrower</u>: issues bonds and buys capital $(K_t^p K_t > 0)$ if $r_t^b \le r_t^k \equiv \frac{p_t}{P_t} \frac{\alpha y_t^p}{K_t^p} \delta$
- May sell capital and invest in bonds if $r_t^b > r_t^k$

- Asymmetric Information: $\omega_t(j)$ is private information
- Limited Enforcement: firm *j* may borrow, buy capital, keep it idle, and default
- An unproductive firm has two options:
 - 1. <u>Behave:</u> sell capital and lend the proceeds $\rightarrow (1 + r_t^b) \kappa_t$
 - 2. <u>Misbehave</u>: borrow and buy capital (*i.e.* mimic productive firms), and default $\rightarrow (1 \delta)K_t^p$

Bond market — Incentive compatibility constraint

$$(1-\delta)\mathcal{K}^{\mathcal{P}}_t \leq (1+r^b_t)\mathcal{K}_t \hspace{0.2cm} \Leftrightarrow \hspace{0.2cm} \mathcal{K}^{\mathcal{P}}_t - \mathcal{K}_t \leq rac{r^b_t + \delta}{1-\delta}\mathcal{K}_t$$

• Productive firms' aggregate incentive-compatible loan demand increases with r_t^b

$$L_t^D\left(\underbrace{r_t^b}_+\right) = (1-\mu)\frac{r_t^b + \delta}{1-\delta}K_t$$

• Unproductive firms' aggregate loan supply is fixed

$$L_t^S\left(\underbrace{r_t^b}_{\cdot}\right) = \mu K_t$$

Bond market — Financial fragility

• Rate r_t^b must be high enough to entice every unproductive firm to lend:

$$L_t^{\mathcal{S}}\left(\underbrace{r_t^b}_{\cdot}\right) \leq L_t^{\mathcal{D}}\left(\underbrace{r_t^b}_{+}\right) \quad \Leftrightarrow \quad \mu \mathcal{K}_t \leq (1-\mu)\frac{r_t^b + \delta}{1-\delta}\mathcal{K}_t \quad \Leftrightarrow \quad r_t^b \geq \overline{r}^k \equiv \frac{\mu - \delta}{1-\mu}$$

• Rate r_t^b cannot be too high to entice productive firms to borrow:

 $r_t^b \leq r_t^k$

 \Rightarrow The bond market collapses when the marginal return of capital is below a threshold

$$r_t^k < \overline{r}^k \quad \Leftrightarrow \quad \frac{p_t}{P_t} \frac{Y_t}{K_t} < \frac{(1-\delta)\mu}{lpha(1-\mu)}$$

Monetary policy affects financial fragility in the short and medium term

• Probability of a crisis:
$$\mathbb{E}_{t-1}\left(\mathbbm{1}\left\{\frac{\mathbf{Y}_t}{\mathcal{M}_t \mathbf{K}_t} < \frac{(1-\delta)\mu}{\alpha(1-\mu)}\right\}\right)$$

- Short run: through macro–economic stabilization \rightarrow Y– and M–channels
- Medium run: through savings and capital accumulation \rightarrow K–channel

- $\mu = 2.42\%
 ightarrow$ the economy spends 8% of the time in a crisis
- Monetary policy rule is Taylor (1993)'s original rule (TR93), with $\phi_{\pi} = 1.5$ and $\phi_{y} = 0.5/4$:

$$1+i_t=rac{1}{eta}(1+\pi_t)^{\phi_\pi}\left(rac{Y_t}{\overline{Y}}
ight)^{\phi_y}$$

• Experiments with strict inflation targeting $(\pi_t = 0)$ and different values of ϕ_y

Most crises are endogenous and follow a credit/investment boom



- Simulate the model with TFP shocks only and focus on the dynamics around crises
- Distribution of crisis probabilities is left-skewed \rightarrow crises are mostly predicted/endogenous

		Frictionless		Frictional bond market							
Rule	ϕ_y	CEV ^{SIT} (%)	CEV ^{SIT} (%)	CEV ^{FB} (%)	Crisis time (%)	Length (quarter)	Output loss (%)	$\mathbb{E}(\pi_t^2)$			
SIT	-	-	-	-0.1114	9.85	5.91	-5.78	0.0000			
	0.025	-0.0000	-0.0072	-0.1198	10.47	5.94	-5.75	0.0004			
	0.050	-0.0001	-0.0012	-0.1137	9.87	5.80	-5.53	0.0012			
or rules	0.125	-0.0009	0.0160	-0.0964	[8.00]	5.31	-4.94	0.0064			
= 1.5)		-0.0037	0.0415	-0.0706	5.00	4.58	-4.24	0.0200			
Taylor $(\phi_{\pi} =$	0.500	-0.0116	0.0652	-0.0466	1.39	3.64	-3.16	0.0516			
	0.750	-0.0197	0.0649	-0.0467	0.45	4.49	-2.45	0.0817			

• In the absence of financial frictions, Strict Inflation Targeting (SIT) is optimal

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• The welfare cost of crises under SIT 0.11% (Consumption Equivalent Variation)

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- In the presence of financial frictions, SIT is not optimal anymore
- Even TR93 improves welfare over SIT

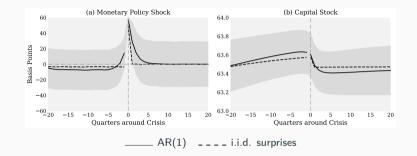
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• The welfare results reflect a tradeoff between financial and price stability

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• There is a limit as to how aggressively the central bank should respond to output

Finding 2: keeping rates too low for too long may lead to a crisis

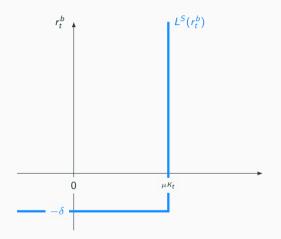


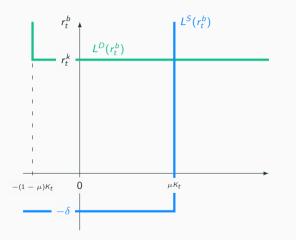
- Discretionary deviations from TR93 \rightarrow simulate the model with MP shocks
- Crises occur after a "Great Deviation" (Taylor (2011)) and an abrupt rate hike

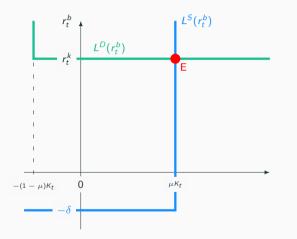
- Canonical NK model with micro-founded endogenous financial crises
- MP affects financial stability through Y–M–K channels
- Systematic response to output (\neq SIT) improves welfare
- Discretionarily loose MP followed by abrupt reversal may lead to crisis
- More discussions and results in the paper:
 - Markup and savings glut externalities
 - MP as backstop to the financial sector (non-linear rules)
 - With both TFP and demand shocks

Backup Slides

- NK models with financial frictions, with heterogenous agents
- Reduced form models of endogenous financial crises
 - Woodford (2012), Filardo and Rungcharoentkitkul (2016), Svensson (2017), Gourio, Kashyap, Sim (2018) Ajello, Laubach, Lopez–Salido, Nakata (2019), Cairo and Sim (2018)
- Micro-founded models of endogenous financial crises
 - Boissay, Collard, Smets (2016), Benigno and Fornaro (2018), Gertler, Kiyotaki, Prestipino (2019), Paul (2020)
- Evidence on financial crises and resource misallocation
 - Foster, Grim, Haltiwanger (2016), Argente, Lee, Moreira (2018), Campello, Graham, Harvey (2010)



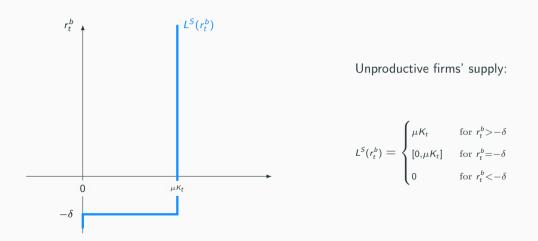


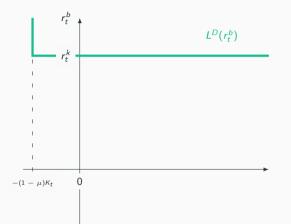


 In E, r_t^k = r_t^b and capital is perfectly reallocated to productive firms:

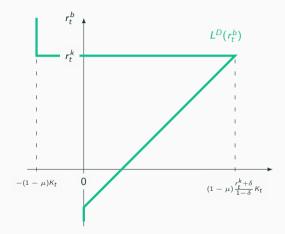
 $\mu K_t = (1-\mu)(K_t^p - K_t)$

 Model boils down to the textbook NK model with one representative firm





Productive firms' demand...

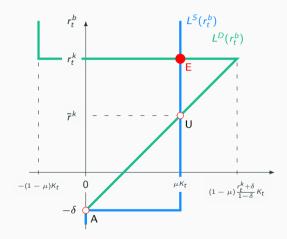


Productive firms' demand...

... now with incentive compatibility constraint

Productive firms' demand:

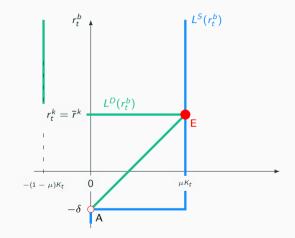
$$\mathcal{L}^{D}(r_{t}^{b}) = \begin{cases} -(1-\mu)\mathcal{K}_{t} & \text{for } r_{t}^{b} > r_{t}^{b} \\ \left[-(1-\mu)\mathcal{K}_{t}, (1-\mu)\frac{r_{t}^{k}+\delta}{1-\delta}\mathcal{K}_{t} \right] & \text{for } r_{t}^{b} = r_{t}^{k} \\ (1-\mu)\max\{\frac{r_{t}^{b}+\delta}{1-\delta}, 0\}\mathcal{K}_{t} & \text{for } r_{t}^{b} < r_{t}^{k} \end{cases}$$



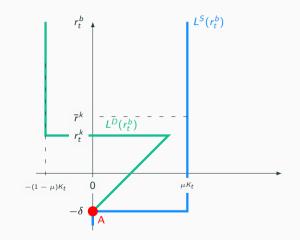
• Equilibrium E is the same as in the frictionless case and textbook model:

 $\mu K_t = (1-\mu)(K_t^p - K_t)$

- Aggregate outcome is the same in E and U
- Absence of coordination failure rules out
 equilibrium A

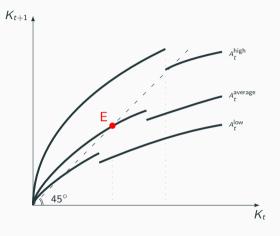


r^k is the minimum bond rate that ensures that every unproductive firm can lend



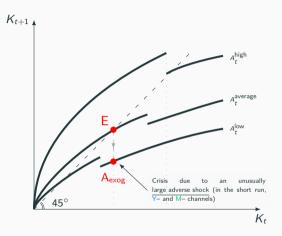
- *r*^k is the minimum bond rate that ensures that every unproductive firm can lend
 - For $r_t^b > -\delta$, there is excess supply
 - $\rightarrow~$ Unproductive firms that are left out may borrow
- No trade in $A \rightarrow$ financial crisis

Two polar types of crisis



Optimal decision rules $K_{t+1}(K_t, A_t)$

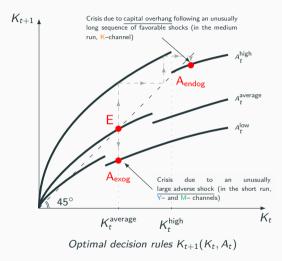
Two polar types of crisis



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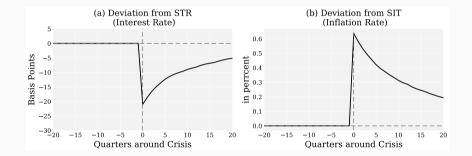
 MP affects financial stability in the short run, e.g. through its effects on aggregate demand during recessions (Y- and M-channels)...

Two polar types of crisis



- MP affects financial stability in the short run, e.g. through its effects on aggregate demand during recessions (Y- and M-channels)...
- ... and in the medium run, through its effects on capital accumulation (K-channel)

Backstop: do whatever it takes whenever needed to forestall a crisis



Backstop policies increase financial fragility but overall raise welfare

Rule	ϕ_y	CEV ^{SIT} (%)	CEV ^{FB} (%)	BP time (%)	Length (quarter)	$\mathbb{E}(\pi_t^2)$
SIT	-	0.1102	-0.0013	15.16	8.84	0.0019
	0.025 0.050	0.1103 0.1102	-0.0012 -0.0013	17.99 16.30	9.17 8.70	0.0011 0.0017
Taylor rules $(\phi_{\pi}=1.5)$	0.125 0.250	0.1096 0.1071	-0.0019 -0.0044	11.81 6.30	7.45 5.93	0.0063 0.0196
	0.500 0.750	0.0998 0.0918	-0.0117 -0.0196	1.38 0.37	4.43 5.11	0.0196 0.0821

Shadow versus Taylor-rule based Federal Fund Rates



Source: Atlanta Fed