

Investment Networks, Sectoral Comovement, and the Changing U.S. Business Cycle

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Discussion: Lilia Maliar

Worum geht es in diesem Papier?

- By paper, I mean a composite of a previous version of the paper (henceforth, LW, 2019) and slides presented today.
- *Motivation*: explain RBC patterns in two subperiods
 - before 1984
 - after 1984.
- Nonstationary aggregate patterns of interest:

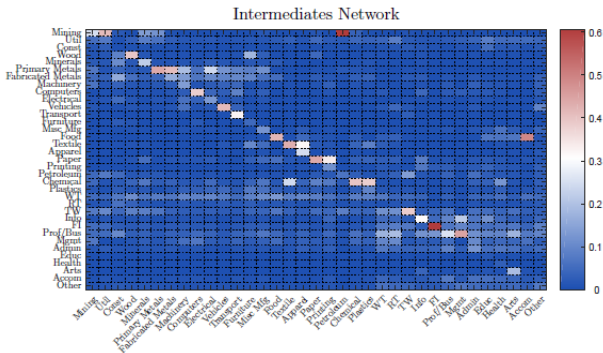
	before 1984	after 1984	change
<i>labor productivity</i>	highly procyclical	roughly acyclical	↓ by 60%
<i>output</i>	more volatile	less volatile	↓ by 40%

⇒ Relative volatility of labor to that of output ↑ by 34%.

- Also, volatility of agg. investment relative to output increased in post-1984 period.
- *Idea*: to relate these nonstationary RBC patterns to sectoral comovements.

Worum geht es in diesem Papier? (cont.)

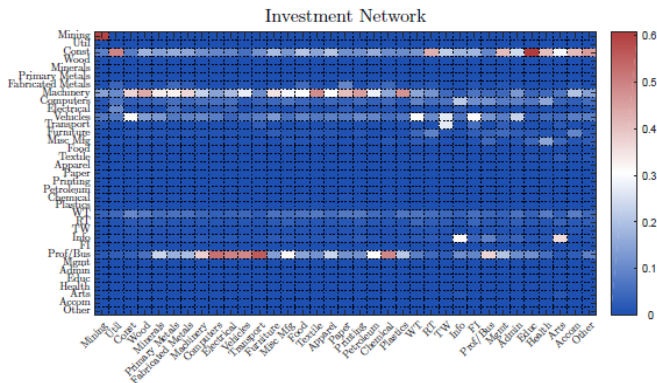
- Model with linkages in intermediate goods and investment goods across manufacturing sectors (35 in total).
- The industries receive/provide the intermediate goods and services from/to other sectors:



BEA I-O databases 1947-2017

Worum geht es in diesem Papier? (cont.)

- Production of investment goods is concentrated in a small number of sectors – "investment hubs", IH.
- LW (2019): an IH comprises at least 10% of the investment goods in a different sector.



BEA capital flows (1997) plus fixed assets 1947-2017

Propagation of "investment hub shocks"

- Let NH = non-hub sector
- Productivity in NH \uparrow
 - Value added of NH \uparrow
 - Employment of NH \uparrow
 - Demand for investment in NH \uparrow
 - This increase in investment demand must be met by IHS
 - IHS \uparrow their demands for other sectors' intermediate goods
 - Employment \uparrow in all sectors
- Thus, employment is driven by "investment-hub shocks".

Worum geht es in diesem Papier? (cont.)

- Within-sector patterns are stationary:

	before 1984	after 1984	change
<i>labor productivity</i>	procyclical	procyclical	0%
<i>output</i>	highly volatile	less volatile	↓ by 16%

⇒ Relative volatility of labor to that of output did not change.

- Driving forces at the sector level:

	before 1984	after 1984
<i>value added</i>	aggregate TFP shocks	sector-level TFP shocks
<i>employment</i>	aggregate TFP shocks	investment-hub shocks

Comment 1: Why a multisector model?

- LW (2019) motivate their work by the basic RBC facts:
 - labor productivity is highly procyclical in pre-1984 and roughly acyclical in post-1984 years.
- Using the multisector RBC model, LW (2019) show that sectoral heterogeneity matters for agg. dynamics.
- But the consumer heterogeneity also matters for aggregate dynamics and can lead to acyclical productivity.
- *For example, Maliar and Maliar (2001, JEDC) consider optimal growth model with consumers heterogeneous in wealth and productivities and obtain:*

	$\gamma = 1$ $\sigma = 1$	$\gamma = 1$ $\sigma = \frac{1}{5}$	$\gamma = \frac{3}{5}$ $\sigma = 1$	$\gamma = \frac{3}{5}$ $\sigma = \frac{1}{3}$	$\gamma = \frac{3}{5}$ $\sigma = \frac{1}{5}$	$\gamma = \frac{3}{5}$ $\sigma = \frac{3}{20}$
σ_n	0.70	1.16	0.97	1.65	1.85	2.01
$\text{corr} \left(\frac{y}{n}, y \right)$	0.98	0.99	0.97	0.59	0.17	-0,17

Comment 2: Why are there just two subperiods?

- 1 LW (2019) consider just **2 subperiods**: before 1984 and after 1984.
 - What is special about 1984?
 - How are two solutions (for two subperiods) are put together?
- 2 All parameters other than shocks are **constant** over time:
 - E.g., intermediate and investment I-O networks are averages across 1947-2017.
 - Covariance matrix Σ_τ in the process for the sector-specific TFP,

$$\log A_{jt+1} = \rho_j \log A_{jt} + \varepsilon_{jt+1}, \quad \varepsilon_{jt+1} \sim \mathcal{N}(0, \Sigma_\tau),$$

differs in two subperiods, $\Sigma_\tau = (\Sigma_{pre-1984}, \Sigma_{post-1984})$.

- Thus, LW (2019) document non-stationary patterns but use a stationary model to account for them.

Comment 2: Why are there just two subperiods? (cont.)

- It would be natural that these periods (pre-1984 and post-1984) were not fixed.
- Instead, there is a process for each parameter that changes over time.
- There is evidence in the literature on time-changes in
 - depreciation rate δ_j ;
 - labor share $1 - \alpha_j$;
 - volatility of sector-specific shocks.
- Other parameters that they can make time-dependent in their model:
 - value-added shares θ_j ;
 - intermediate I-O network Γ_{ij} ;
 - investment I-O network Λ_{ij} ;
 - consumption shares ξ_j .
- Now they are computed as averages over 1947-2017 (the benchmark model) or as averages in 2 subperiods.

Extended function path (EFP) methodology for solving nonstationary models

- I want to show the methodology that
 - characterizes the solutions that change over time;
 - solves non-linearly.
- My presentation is based on the paper "Tractable Framework for Analyzing a Class of Nonstationary Markov Models" (joint with S. Maliar, J. Taylor and I. Tsener), NBER 21155.
- Publicly provided code: "*EFP_MMTT_2015.zip*" - *Extended Function Path (EFP) method for time-dependent models.*

Example of a nonstationary growth model

We now introduce nonstationary Markov environment into dynamic general equilibrium modeling paradigm:

$$\begin{aligned} \max_{\{c_t, k_{t+1}\}_{t=0}^{\infty}} E_0 \left[\sum_{t=0}^{\infty} \beta^t u_t(c_t) \right] \\ \text{s.t. } c_t + k_{t+1} = (1 - \delta) k_t + f_t(k_t, z_t), \\ z_{t+1} = \rho_t z_t + \sigma_t \varepsilon_{t+1}, \quad \varepsilon_{t+1} \sim \mathcal{N}(0, 1), \end{aligned}$$

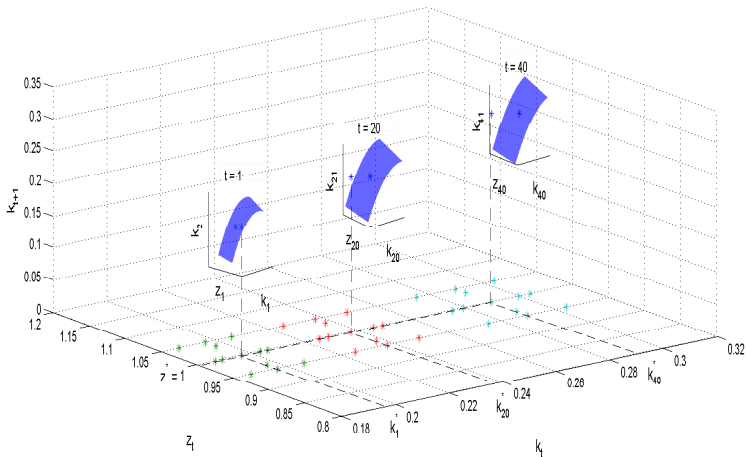
- sequence of u_t , f_t and φ_t for $t \geq 0$ is known to the agent in period $t = 0$; ε_{t+1} is i.i.d;
- $\rho_t \in (-1, 1)$ and $\sigma_t \in (0, \infty)$ are given at $t = 0$.

Introducing extended function path (EFP) framework

Extended function path (EFP) framework includes two steps.

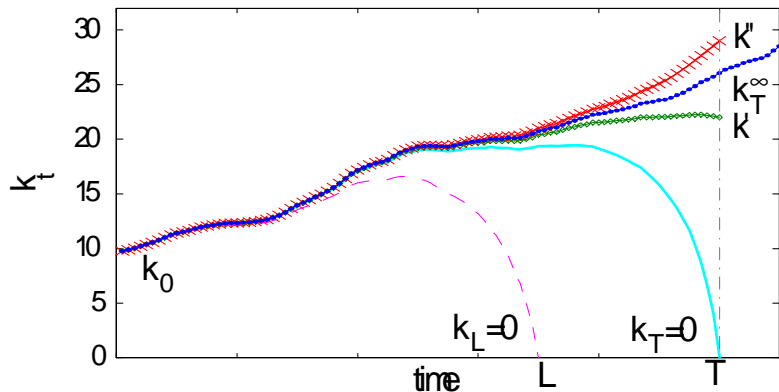
- **Solving a T -period stationary economy:** Assume that in a very remote period T , the economy becomes stationary, i.e., the utility and production functions and the laws of motions for exogenous shocks are time invariant, i.e., $u_t = u$, $f_t = f$, $\rho_t = \rho$ and $\sigma_t = \sigma$ for all $t \geq T$:
 \Rightarrow we can solve for equilibrium using conventional methods for stationary models.
- **Constructing a function path:** Using the T -period solution as terminal condition, iterate backward on optimality conditions to construct a sequence (path) of time-dependent value and decision functions $(V_0(\cdot), V_1(\cdot), \dots)$ and/or $(K_0(\cdot), K_1(\cdot), \dots)$.
 \Rightarrow this is like solving OLG models.

Example of function path constructed by EFP



Turnpike theorem

When you are young, you behave as if you will live forever...



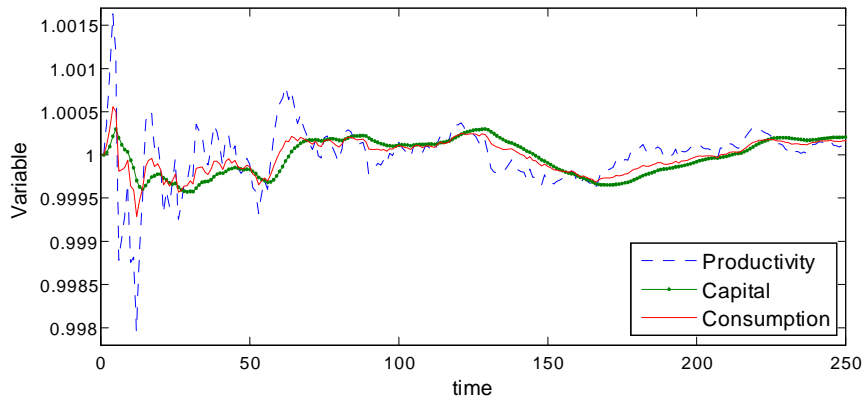
Modeling diminishing volatility

- There is evidence that the volatility has a well pronounced time trend, Mc Connel and Pérez-Quiros (2000), Blanchard and Simon (2001), Stock and Watson (2003):
- This kind of evidence cannot be reconciled in a model in which stochastic volatility follows a standard AR(1) process with stationary transitions.
- We modify the standard neoclassical stochastic growth model to include time-varying diminishing volatility of the productivity shock:

$$\ln z_t = \rho \ln z_{t-1} + \sigma_t \varepsilon_t, \quad \sigma_t = \frac{B}{t^{\rho_\sigma}}, \quad \varepsilon_t \sim \mathcal{N}(0, 1),$$

- B = a scaling parameter;
- ρ_σ = a parameter that governs the volatility of z_t .
- We solve for a sequence of the optimal decision functions $(K_0(\cdot), K_1(\cdot), \dots)$.

Modeling diminishing volatility (cont.)



Other examples of nonstationary applications

In the paper, we show many other examples of nonstationary applications including:

- unbalanced growth models;
 - deterministic trends in the data (population growth, climate changes, etc.);
 - different kinds of technological progress that augment productivity of different factors, e.g., directed technical change;
 - an entry into and exit from a monetary union (Brexit);
 - nonrecurrent policy regime switches;
 - deterministic seasonals;
 - changes in the consumer's tastes and habits;
 - estimation of parameters in nonstationary model.
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- Potentially, EFP can be also used to solve a fully nonstationary model of LW (2019).

- **An excellent paper:**
 - documented many new interesting empirical regularities on changing business cycles;
 - their theory is consistent with their empirical regularities;
 - explain economic mechanisms behind the changes in patterns;
 - provide supportive evidence of mechanisms.
- The model describes well the average behavior of comovement across all sectors.
 - the model's R^2 is 52%!
- Future work might address the arbitrariness of the cut-off period (i.e., 1984) and analyze a fully nonstationary RBC model.